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Profitability, Investment, and Average Returns

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Abstract

Valuation theory says that expected stock returns are related to three variables: the book-to-market equity ratio (B_t/M_t), expected profitability, and expected investment. Given B_t/M_t and expected profitability, higher rates of investment imply lower expected returns. But controlling for the other two variables, more profitable firms have higher expected returns, as do firms with higher B_t/M_t . These predictions are confirmed in our tests. Our results are qualitatively similar to earlier evidence, but in quantitative (economic) terms, there are some interesting surprises.

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In the dividend discount model the market value of a share of a firm's stock is the present value of expected dividends,

$$(1) \quad M_t = \sum_{\tau=1}^{\infty} E(D_{t+\tau}) / (1+r)^\tau,$$

where M_t is the price at time t , $E(D_{t+\tau})$ is the expected dividend in period $t+\tau$, and r is (approximately) the long-term average expected stock return, or more precisely, the internal rate of return on expected dividends. With clean surplus accounting, the time t dividend, D_t , is equity earnings per share, Y_t , minus the change in book equity per share, $dB_t = B_t - B_{t-1}$. The dividend discount model then becomes,

$$(2) \quad M_t = \sum_{\tau=1}^{\infty} E(Y_{t+\tau} - dB_{t+\tau}) / (1+r)^\tau$$

or, dividing by time t book equity,

$$(3) \quad \frac{M_t}{B_t} = \frac{\sum_{\tau=1}^{\infty} E(Y_{t+\tau} - dB_{t+\tau}) / (1+r)^\tau}{B_t}$$

Equation (3) makes three interesting predictions about expected stock returns. (i) Controlling for expected earnings and expected changes in book equity (both measured relative to current book equity), a higher book-to-market equity ratio, B_t/M_t , implies a higher expected stock return, r . This is, of course, the motivation for using the book-to-market ratio as a proxy for expected returns. (ii) Controlling for B_t/M_t and expected growth in book equity due to reinvestment of earnings, more profitable firms – specifically, firms with higher expected earnings relative to current book equity – have higher expected returns. (iii) Given B_t/M_t and expected earnings relative to book equity, firms with higher expected growth in book equity due to reinvestment of earnings have lower expected stock returns.

We test for the book-to-market, profitability, and investment effects in expected returns predicted by the valuation equation (3). This, of course, is not virgin territory. Though our methods are different, our work can be viewed as providing a unifying perspective on many papers that link average stock returns to book-to-market equity and proxies for expected profitability and investment.

For example, there is much evidence that firms with higher book-to-market ratios have higher average stock returns (Rosenberg, Reid, and Lanstein 1985, Chan, Hamao, and Lakonishok 1991, Fama and French 1992, Capaul, Rowley, and Sharpe 1993, Lakonishok, Shleifer, and Vishny 1994). Haugen and Baker (1996) and Cohen, Gompers, and Vuolteenaho (2002) find that controlling for book-to-market equity, average returns are positively related to profitability. Fairfield, Whisenant, and Yohn (2003), Richardson and Sloan (2003), and Titman, Wei, and Xie (2005) document a negative relation between average returns and investment. Initiated by Sloan (1996), there is an extensive literature documenting that accruals are negatively related to future profitability, and higher accruals predict lower stock returns. (See Xie 2001, Fairfield, Whisenant, and Yohn 2003, Richardson, Sloan, Soliman, and Tuna 2004, 2005, and Chan, Chan, Jegadeesh, and Lakonishok 2006.) Working within the confines of a valuation equation like (2), Abarbanell and Bushee (1998), Frankel and Lee (1998), Dechow, Hutton, and Sloan (2000), and Lee, Ng, and Swaminathan (2004) combine analyst forecasts of earnings with assumptions about future investment to estimate expected stock returns. The general result is that higher expected net cash flows (expected profitability minus expected investment) relative to current market value forecast higher stock returns. Finally, Piotroski (2000) and Griffin and Lemmon (2002) show that composite measures of firm strength, which are proxies for expected net cash flows, are positively related to future stock returns. All these results are in line with (3).

In this earlier work, evidence that the book-to-market ratio, expected profitability, and expected investment are related to future stock returns is typically attributed to mispricing. As usual, irrational pricing is not the only possibility. With rational pricing, the book-to-market, profitability, and investment effects in expected returns implied by the valuation equations are due to differences in risk: controlling for other variables, more profitable firms and firms with higher book-to-market ratios are more risky, and faster-growing firms are less risky. We take no stance on whether the patterns in average returns observed here are rational or irrational. More emphatically, one of our themes is that tests based (explicitly or implicitly) on the valuation equations are generally powerless to determine whether

observed relations between average returns and B_t/M_t , profitability, and investment are due to rational or irrational pricing.

What do we add on the empirical side? Most existing papers look for book-to-market, or profitability, or investment effects in average returns and treat them as isolated “anomalies.” Our analysis shows that all this evidence is complementary, fitting nicely within the confines of valuation theory. More ambitiously, we systematically explore the implications of the valuation equations for the cross-section of expected stock returns. Working within the confines of valuation theory makes it clear that appropriately identifying book-to-market, profitability, or investment effects in expected returns requires controls for the other two variables. In the end, we hope to provide an overall perspective on how the three contribute to the cross section of average stock returns.

The overall perspective is important. For example, there is a large literature on accruals and stock returns. In the seminal paper, Sloan (1996) argues that investors do not realize that accruals mean revert faster than the cash component of earnings. Investors overestimate the future earnings of firms with high accruals in current earnings and underestimate the future earnings of firms with low current accruals. The result is low future stock returns for high accrual firms and high returns for low accrual firms, when the faster mean reversion of accruals becomes apparent in future earnings.

Almost all the subsequent empirical papers claim to confirm Sloan’s (1996) story for accruals and stock returns. But there is reason for skepticism. Though accruals mean revert faster than the cash part of earnings, the difference does not seem large enough to explain the high average returns (around 10% per year) reported for portfolio strategies that buy the stocks of low accrual firms and short high accrual firms. Our tests shed light on the puzzle. With controls for size, book-to-market, profitability, and investment, the marginal returns associated with accruals are small (less than 1% per year), except perhaps for small growth stocks. Thus, if investors are misled about the faster mean reversion of accruals (a proposition we judge to be far from established), the problem seems to be minor.

Similarly, we document statistically reliable marginal relations between average returns and lagged profitability and growth, but in contrast to some earlier results (for example, Fairfield, Wisenant

and Yohn 2003), the incremental average returns captured by these variables are again small in the presence of controls for size and B_t/M_t .

The paper proceeds as follows. Section I discusses what tests based on the valuation equation (3) can and cannot tell us about expected returns and the rationality of asset prices. Section II uses cross-section regressions to develop proxies for expected profitability and investment. We find that lagged values of many variables, including size, accounting fundamentals, stock returns, analyst earnings forecasts, and two measures of firm strength forecast profitability and investment. Section III uses cross-section return regressions to examine whether the book-to-market ratio and various proxies for expected profitability and investment (including the fitted values from the regressions of section II) help explain average returns in the manner predicted by the valuation equation (3). These cross-section return regressions identify book-to-market, profitability, and investment effects in average stock returns, but they do not give a clean picture of their economic importance. Section IV presents portfolio tests that address this issue. The concluding section V summarizes our evidence and inferences.

I. Tests of Valuation Equations: Strengths and Weaknesses

Campbell and Shiller (1988) emphasize that the valuation equation (1) is a tautology that just defines the internal rate of return, r . Given the stock price and estimates of expected dividends, there is a discount rate r that solves (1). With clean surplus accounting, equation (2) is equivalent to (1), so (2) is a tautology. Equation (3) is obtained by dividing (2) by book equity, so with clean surplus accounting (3) is also a tautology.

Tautology, however, does not mean equation (3) lacks content. In fact, the tautology conclusion confers some robustness on tests that infer the discount rate, r , from (3). For example, as long as firms follow clean surplus accounting in the future, the past accounting rules that generated book equity, B_t , do not affect inferences about r . To see the point, suppose two all equity firms have identical current market values and identical expected future earnings and investments. With clean surplus accounting, we can use equation (2) to infer that the firms must have the same expected return, r . And since we derive (3) from

(2) simply by dividing both sides by current book equity, equation (3) also implies they have the same r – even if the two firms’ assets are carried at different book values. The fact that they have different B_t cancels out in (3), leaving the discount rate r unaffected. The important implication is that if firms use clean surplus accounting, our cross-section tests to estimate how expected returns vary with B_t/M_t , expected profitability, and expected investment are valid, as long the tests control for all three variables. And this serves to emphasize the importance of joint controls for the three variables, which are typically missing in earlier work.

Deviations from clean surplus accounting are, of course, a potential problem. But there is reason to expect that actual deviations are not fatal. The intuition behind (2) is that if two firms have the same stock price and the same expected growth in book equity, but one has higher expected earnings, it must have a higher expected stock return (cost of equity capital). Likewise, if two firms have the same stock price and expected earnings but one requires more expected equity investment to generate the earnings, it must have a lower expected stock return. We judge that accounting problems have to be severe to obscure all traces of these predictions. There is evidence that this is not the case. For example, despite differences in the way firms account for book equity, the cross-section of book-to-market ratios identifies differences in expected stock returns, even without controls for expected profitability and investment. And if accounting problems do destroy our tests, the flames likely consume the rest of the large literature that uses accounting data to identify differences in expected returns.

Now comes the most important point of this section. Even with clean surplus accounting, tests of (3) face a timeworn problem: we cannot tell whether the book-to-market, profitability, and investment effects we find in average stock returns are due to rational or irrational pricing. To see the point, note first that equations (1) to (3) hold (they are tautologies) whether the expected values of profitability and investment in the equations are rational or irrational. Of course, the implied discount rate, r , does vary with the expectations that are used. When the expected values are rational, r is the discount rate (roughly the true expected stock return) implied by rational beliefs. When the expected values are irrational, r is the expected return implied by these irrational beliefs (and it is not the true expected return).

Next consider what we measure. Our estimates of expected profitability and investment (for example, from regressions of future profitability and investment on lagged predictors) are estimates of rational (actual or true) conditional expected values. And our return tests provide estimates of how rationally assessed (actual or true) expected returns (proxied by observed average returns) vary with the book-to-market ratio and rational assessments of expected profitability and investment.

Suppose stock prices are based on irrational forecasts of profitability and investment, so the book-to-market ratio B_t/M_t contains an irrational price. Now when we use (3) to infer expected returns, the result is estimates of how true expected returns vary with rational assessments of expected profitability and investment and a book-to-market ratio that contains an irrational price. Irrational beliefs thus affect expected returns through the price M_t in B_t/M_t . The problem is that (3) makes the same (observationally equivalent) predictions about how true expected returns vary with B_t/M_t and rational assessments of expected profitability and growth, whether the price M_t is rational or irrational. Thus, despite many claims to the contrary in related tests in the literature, tests of (3) cannot in themselves tell us whether the investor forecasts of profitability and investment that determine M_t are rational or irrational. We revisit this issue throughout the paper.

II. Expected Profitability and Investment

The first step in our tests of the valuation equation (3) is to develop proxies for expected profitability and investment. The more complicated proxies are fitted values from cross-section regressions to predict profitability, $Y_{t+\tau}/B_t$, and the growth of assets, $dA_{t+\tau}/A_t = (A_{t+\tau}-A_t)/A_t$, one, two, and three years ahead ($\tau = 1, 2, 3$). The explanatory variables, measured at the end of fiscal year t , are (i) accounting fundamentals, (ii) the firm's stock return for fiscal year t and its combined return for years $t-1$ and $t-2$, (iii) analyst earnings forecasts for $t+1$, and (iv) the composite measures of firm strength of Piotroski (2000) and Ohlson (1980). We use the expected profitability and asset growth estimates given by the fitted values from these first stage regressions as explanatory variables in second stage cross-section return regressions that test for profitability and investment effects in average returns (section III).

The accounting fundamentals used as explanatory variables in the proxies for expected profitability and investment include lagged values of (i) B_t/M_t , (ii) a dummy variable for negative earnings, (iii) profitability (Y_t/B_t) for firms with positive earnings, (iv) accruals relative to book equity for firms with positive ($+AC_t/B_t$) and negative ($-AC_t/B_t$) accruals, (v) investment (dA_t/A_{t-1}), (vi) a dummy variable for firms that do not pay dividends (No D_t), and (vii) the ratio of dividends to book equity (D_t/B_t). The book-to-market ratio is known to be negatively related to profitability and investment (firms with lower B_t/M_t tend to be more profitable and to invest more), and profitability and investment are known to be persistent (Penman 1991, Lakonishok, Shleifer, and Vishny 1994, Fama and French 1995). It also seems reasonable that current profitability is related to future investment, and that current investment is related to future profitability. There is evidence that accruals forecast profitability (Sloan 1996, Fairfield, Whisenant, and Yohn 2002, 2003, and Richardson, Sloan, Soliman, and Tuna 2004, 2005). Previous work also shows that dividend paying firms tend to be more profitable but to grow more slowly (Fama and French 2001). We include firm size (the log of total market cap, $\ln MC_t$) among the fundamental variables because smaller firms tend to be less profitable (Fama and French 1995). The precise definitions of the variables are in the Appendix.

Consistent with the logic of the valuation equations, all accounting variables are on a per share basis. Throughout the paper, the dating convention is that year t includes the accounting data for fiscal yearends in calendar year t . For consistency, the lagged returns and market cap used in the profitability and growth regressions are also measured at the end of a firm's fiscal year. Finally, the valuation equation (3) calls for equity investment, $dB_{t+\tau}/B_t$, but we measure investment as asset growth, $dA_{t+\tau}/A_t$, which we judge gives a better picture of investment. And we call $Y_{t+\tau}/B_t$ profitability, but it is clear that for $\tau > 1$, it is a mix of profitability and earnings growth.

The explanatory variables used in the first stage regressions to develop proxies for expected profitability and asset growth also include (i) I_t/B_t , the I/B/E/S consensus forecast of earnings per share one year ahead (as available at the end of a firm's fiscal year) divided by book equity per share at t , (ii) PT_t , the composite measure of firm strength used by Piotroski (2000) to predict stock returns, and (iii)

OH_t the probability of debt default developed by Ohlson (1980) and used by Griffin and Lemmon (2002) to forecast stock returns. Piotroski (2000) assigns firms binary scores, 0 (bad) and 1 (good) each year on nine accounting fundamentals (including measures of profitability and past earnings growth). PT_t is the sum of a firm's scores on the nine variables at the end of fiscal year t , with higher values indicating stronger past performance. OH_t is the fitted value from Ohlson's (1980) cross-section logit regression (Model 1) that uses accounting fundamentals for year t to assess the probability of default on debt, with higher values implying weaker firms. From the construction of PT_t and OH_t (see Appendix), it is clear that the two variables are proxies for expected net cash flows (the spread of expected earnings over investment) in (3). Finally, I/B/E/S earnings forecasts begin in 1976, and PT_t requires data from cash flow statements, which are not available on Compustat until 1971. The tests that use I/B/E/S forecasts or PT_t are limited to periods of data availability (versus 1963-2003 for tests that do not use PT_t or I/B/E/S).

Tables 1 and 2 show average slopes and their t-statistics for year-by-year cross-section profitability and asset growth regressions, estimated in the manner of Fama and MacBeth (1973). We drop firms from the tests for several reasons. First, we exclude financial firms (SIC codes between 6000 and 6999). In addition, to be included in the sample for calendar year t (predicting profitability and asset growth for $t+1$, $t+2$, and $t+3$ in Tables 1 and 2, and predicting returns for July of $t+1$ to June of $t+2$ in Tables 3 and 4, presented later), a firm must have Compustat data for year t on book equity, earnings before extraordinary items, dividends, shares outstanding, and accruals, and data for assets for t and $t-1$. A firm must also have market cap (price times shares outstanding) available on CRSP for its (last) fiscal yearend in t , December of t , and June of $t+1$. We exclude firms with negative book equity in year t . Firms are also deleted from specific regressions if they do not have other data, such as PT_t , OH_t , and I_t/B_t , required for that regression. To avoid influential observation problems, we delete a firm from the profitability and growth regressions if an explanatory variable in the regression is outside the 0.5 or 99.5 percentile for that variable in year t . (We consider only the upper or lower bound for one-sided variables, such as $+AC_t/B_t$, $-AC_t/B_t$, and D_t/B_t .) To avoid undue influence of small firms, those with total assets less

than \$25 million or book equity less than \$12.5 million in year t are also excluded. (Using \$5 million and \$2.5 million as the cutoffs produces similar results.)

When the forecast horizon is more than a year ahead, there is overlap in the dependent variables in the year-by-year profitability and growth regressions. This can produce autocorrelation of the slopes that affects the standard errors of the average slopes. Inspection of the autocorrelations (not shown) in the asset growth regressions suggests no evidence of a problem for any forecast horizon. The autocorrelations of the slopes in the multiyear profitability regressions are more often positive, but they are not systematically large. Given the large standard errors of the autocorrelations, we are reluctant to impose corrections that may not be warranted. Moreover, there is no overlap in the year-by-year regressions that forecast profitability and growth one year ahead, and the one-year and multiyear regression results are always generically similar.

The multiple regressions to forecast profitability and asset growth that provide our proxies for expected profitability and investment are in Table 2. Table 1 is background. It summarizes preliminary regressions to show that, used alone or in natural subgroups, all variables in the multiple regressions of Table 2 forecast profitability or asset growth, and typically both. Our discussion largely focuses on the evidence about marginal explanatory power provided by the multiple regressions of Table 2.

There are two sets of profitability and asset growth regressions in Table 2. The first uses only lagged size and accounting fundamentals to forecast profitability and growth. The second set adds lagged returns, analyst forecasts of profitability, and the two general measures of firm strength, PT_t and OH_t , to the explanatory variables.

A. Asset Growth

Consider the Table 2 regressions to forecast asset growth. In the first set, all accounting fundamentals are related to future asset growth in plausible ways. Smaller firms and more profitable firms tend to grow faster, but firms that pay more dividends grow more slowly. Firms with higher book-to-market ratios (so-called value firms) grow less rapidly than low B_t/M_t firms (growth firms). Among

firms with positive accruals (reported earnings exceed cash earnings from operations), larger accruals are associated with slower future asset growth. The relation between accruals and growth is not discernible when accruals are negative. In terms of t-statistics, B_t/M_t and D_t/B_t have the strongest explanatory power, with average slopes more than 12 standard errors from zero. Lagged asset growth also helps predict future growth, but in economic terms the effects are small. Without showing the details, we can report that adding more lags of growth to the multiple regressions in Table 2, or replacing the first lag of growth with a three-year average, does not produce stronger evidence for the importance of lagged asset growth in predicting future growth. This is in contrast to the univariate regressions in Table 1, where lagged growth shows strong power to forecast asset growth up to three years ahead.

Adding lagged returns, I/B/E/S profitability forecasts, PT_t , and OH_t to the asset growth regressions tends to reduce the size and precision of other slopes, which nevertheless continue to have explanatory power, with two exceptions. The average slopes on size are still negative, but they are now less than two standard errors from zero for forecasts one and two years ahead. More interesting, lagged asset growth loses its power to forecast future growth – a result of some import in interpreting the return regressions later. Lagged returns and OH_t have marginal forecast power in the full regressions, and I/B/E/S profitability forecasts may have explanatory power, at least for forecasts one year ahead. Not surprisingly, firms with higher past returns and higher forecasted profitability tend to invest more, while firms with higher probability of default (OH_t) grow less rapidly. Used alone, there is a strong positive relation between the Piotroski measure of firm strength and future asset growth (Table 1), but in the full regressions, PT_t does not have reliable forecast power.

B. Profitability

When size and the accounting fundamentals are used to forecast profitability, $Y_{t+\tau}/B_t$, one, two, and three years ahead ($\tau = 1, 2, 3$), lagged profitability has by far the strongest forecast power. For example, the average slope on Y_t/B_t for forecasts one year ahead, 0.78, is 35.16 standard errors from zero. Thus, there is lots of persistence in profitability. But profitability is mean reverting; the one-year slope on

lagged profitability is about ten standard errors below 1.0, and the slope decays to 0.70 for forecasts three years ahead. Without showing the details, we can report that adding more lags of profitability, or replacing the first lag with a three-year average, does not produce stronger evidence for the importance of lagged profitability in predicting future profitability than the first lag of profitability alone.

As expected, the book-to-market ratio helps predict profitability; firms with higher B_t/M_t (value firms) tend to be less profitable. The forecast power of the ratio of dividends to book equity, which shows up clearly in the regressions of Table 1, largely disappears when placed in competition with other fundamentals in Table 2. On the other hand, the multiple regressions of Table 2 produce stronger evidence that firms that do not pay dividends are less profitable. Similarly, the negative implications of accruals for future profitability are clearer in the multiple regressions of Table 2. The reliably negative average slopes on $+AC_t/B_t$ (firms with positive accruals) in Table 2 are close to those in Table 1, but the average slopes on $-AC_t/B_t$ become more negative and are typically more than two standard errors below zero when other fundamentals are in the regressions.

The link between lagged asset growth and future profitability is interesting. In univariate regressions (Table 1), lagged growth is positively related to future profitability, but the slope turns negative in the multivariate regressions of Table 2. Thus, with controls for size and other fundamentals (especially past profitability), higher asset growth is associated with lower future profitability and growth in earnings. (We return to this finding later.)

When lagged returns, I/B/E/S earnings forecasts, and the Piotroski and Ohlson measures of firm strength (PT_t and OH_t) are added to the profitability regressions, not much happens to the average slopes for book-to-market equity, the ratios of negative and positive accruals to book equity, and the ratio of dividends to book equity. But the slopes on lagged profitability are much smaller (more on this below), and the slopes on lagged asset growth tend to be more reliably negative. When the two lagged returns are used alone to forecast profitability, their average slopes are strongly positive (Table 1), but in competition with other variables (Table 2), the slopes on lagged returns decline a lot and only the first lagged return (year $t-1$) shows reliable forecast power. OH_t produces strong negative average slopes when used alone

to forecast profitability; higher probability of default is (not surprisingly) associated with lower future profitability. But in the multiple regressions, OH_t loses most of its explanatory power, at least for forecasts more than a year ahead. In contrast, though the positive average slopes on the PT_t measure of firm strength are smaller when other variables are in the profitability regressions, they are more than 2.3 standard errors from zero.

In the profitability regressions, the slopes on lagged profitability and analyst forecasts of profitability are interesting. Used alone to forecast profitability (Table 1), both variables have average slopes close to 1.0 and more than 20 standard errors from zero. Thus, differences in lagged profitability or in analyst earnings forecasts show up roughly one for one in future profitability. But in the multiple regressions that use the full set of variables to forecast profitability (Table 2), the slopes on lagged profitability and analyst forecasts typically fall to less than half the values observed in Table 1, and the sum of the slopes is now somewhat less than 1.0. The average slopes for both variables are more than five standard errors from zero. Thus, in the multiple regressions, the two variables (correlated 0.35) split the information they share about future profitability. Moreover, many other variables help forecast profitability in the full regressions. This result confirms earlier evidence that analysts ignore lots of information when making earnings forecasts. (See, for example, Ali, Klein, and Rosenfeld 1992, Abarbanell and Bernard 1992, Easterwood and Rutt 1999, and Ahmed, Nainar, and Zhang 2003.)

Spawned by Sloan (1996), there is a large literature documenting that accruals result in transitory variation in earnings. The negative slopes on accruals in the profitability regressions confirm this result. The behavior of the slopes for positive and negative accruals is interesting. The average slopes for $+AC_t/B_t$ in the one- and two-year profitability regressions of Table 2 are more negative than for $-AC_t/B_t$, but the slope for $+AC_t/B_t$ tends to become less negative for longer horizons, and the coefficient for $-AC_t/B_t$ becomes more negative. As a result, the slopes for positive and negative accruals are about equal in the three-year regressions, around -0.06. The behavior of the slopes suggests that the reversal of positive accruals in reported earnings occurs faster, but positive and negative accruals have comparable long-run transitory effects on earnings.

Accruals, however, do not mean revert a lot faster than the cash component of earnings. In the Table 2 regressions that use only size and lagged accounting fundamentals to forecast profitability, the mean reversion of profitability (which includes cash earnings and accruals) is picked up by lagged profitability and accruals, with accruals measuring marginal mean reversion beyond that captured by lagged profitability. (Other explanatory variables in the regressions largely just allow for differences in long-term average profitability across firms.) The point estimates of the accrual slopes, around -0.06 at the three-year horizon, suggest that the long-term marginal mean reversion of profitability associated with accruals is rather small.

Sloan's (1996) hypothesis, adopted near uniformly in the literature on stock returns and accruals, is that investors do not understand the faster mean reversion of the accruals part of earnings. This leads to a negative relation between current accruals and future stock returns observed when the mean reversion of accruals hits measured earnings. But the fact that accruals do not mean revert that much faster than the cash component of earnings suggests that Sloan's story cannot in itself explain large spreads in average returns associated with accruals. And our estimates of the marginal mean reversion of profitability due to accruals are similar to those of Sloan (1996) and other papers in this literature.

C. Perspective

The profitability and growth regressions differ in an interesting way. Growth is predictable at least three years ahead, but the evidence that changes in earnings are predictable beyond a year is weaker. Thus, in the growth regressions, the average slopes for variables that have forecast power almost always move further from zero when the forecast horizon is extended from one to two and then to three years. As a result, despite the increase in variance that occurs when the horizon for asset growth is extended, the average regression R^2 in Table 2 increase a bit with the forecast horizon, rising from 0.16 in the full regressions for one-year growth rates to 0.20 for second and third year growth rates. In the profitability regressions, some slopes move further from zero as the horizon is increased, but less consistently than in

the growth regressions. As a result, the average R^2 in the full regressions to explain profitability falls from a rather impressive 0.39 for forecasts one year ahead to 0.18 for three-year forecasts.

Still, the average slopes for variables with explanatory power in the full profitability regressions tend to be either further from zero or they do not change much as the forecast horizon is extended. This is important since it says that the variables pick up permanent components of expected earnings that should be important in identifying the differences in expected returns predicted by the valuation equation (3).

Finally, irrespective of how the fitted values perform as proxies for expected profitability and asset growth in the return tests presented next, the cross-section regressions to forecast profitability and growth are informative. Thus, many variables help predict profitability and growth. In the profitability regressions, lagged profitability, analyst forecasts, the book-to-market ratio, size, growth, accruals, not paying dividends, last year's stock return, and the PT_t measure of firm strength have forecast power. In the asset growth regressions, the book-to-market ratio, the ratio of dividends to book equity, the level of positive accruals relative to book equity, profitability, prior returns, and the OH_t measure of firm strength show forecast power. And except for the negative slopes on lagged growth in the profitability regressions, the slopes conform to intuition about how different variables relate to future profitability and growth.

III. Expected Returns: Cross-Section Regressions

We test for the profitability and investment effects in expected returns predicted by the valuation equation (3) in three steps. We first present cross-section regressions that explain average stock returns with lagged values of size, B_t/M_t , asset growth, profitability, accruals, and the PT_t and OH_t measures of firm strength. The goal is to examine whether simple proxies for expected profitability and asset growth add to the explanation of average returns provided by size and B_t/M_t . We then use more complicated proxies for expected profitability and asset growth – the fitted values from the regressions of Table 2 – to test for profitability and investment effects in average returns. The final step uses portfolio tests to examine whether the profitability and investment effects identified in the cross-section regressions are large and pervasive in the sample as a whole and within portfolios formed on size and B_t/M_t .

We estimate cross-section return regressions monthly, beginning in July 1963, with the explanatory variables updated each July. To ensure that the explanatory variables are known at the beginning of the month of the dependent returns, the accounting variables in the regressions are for fiscal years that end in the calendar year preceding the July when they are first used. Thus, we use data from fiscal yearends between January and December of year t to forecast monthly returns from July of $t+1$ to June of $t+2$. As in Fama and French (1992), market equity for the size variable is measured at the end of June of $t+1$, and market equity in the book-to-market ratio is for the end of December of t . To reduce the impact of outliers, we winsorize the independent variables at the 0.5 percent level in the return regressions. Thus, extreme values are shrunk to the 0.5 and 99.5 percentiles for year t . (As in Tables 1 and 2, we consider only the upper or lower bound for one-sided variables.)

A. Baseline Tests

Confirming previous evidence, Table 3 shows that when size and the book-to-market ratio are used alone to explain returns, there is a strong positive relation between average return and B_t/M_t . The t -statistic for the average B_t/M_t slope is near three standard errors from zero. Thus, high book-to-market (value) firms have higher average returns than low book-to-market (growth) firms. As in previous work, small market cap firms have higher average returns than big firms, but the negative average size slope is only -1.20 standard errors from zero.

More interesting, simple proxies for expected profitability and asset growth seem to confirm the positive profitability and negative growth effects in average returns predicted by the valuation equation (3). When lagged profitability and asset growth are added to the return regressions that include size and B_t/M_t , there is a strong positive relation between profitability and average return ($t = 2.55$) and a stronger negative relation between average return and asset growth ($t = -3.87$). Moreover, adding lagged profitability and asset growth to the return regressions has almost no effect on the average slope for B_t/M_t and enhances the average slope for size, which is now -1.83 standard errors from zero. We can also

report that adding lags of profitability and growth, or replacing the first lags with averages of three years of past values does not produce reliable improvements in explanatory power.

Since accruals are negatively related to future profitability (Table 2), the valuation equation (3) predicts a negative relation between accruals and future returns. The average slope for positive accruals, $+AC_t/B_t$, in the return regressions of Table 3 is indeed negative and an impressive 6.82 standard errors below zero. This is consistent with earlier evidence (Sloan 1996, Collins and Hribar 2000, Chan, Chan, Jegadeesh, and Lakonishok 2006) that accruals predict returns. The average slope on negative accruals, $-AC_t/B_t$, is also negative, but it is less than one standard error from zero. Thus, with controls for other variables, low accruals do not reliably predict higher future returns. And this result does not seem to have a precedent in the literature.

Some of the information in positive accruals about future returns is related to information in lagged growth. The average correlation between $+AC_t/B_t$ and dA_t/A_t is 0.29, and adding accruals to the return regressions cuts the average slope on lagged asset growth in half, from -0.40 ($t = -3.87$) to -0.19 ($t = -1.99$). On the other hand, adding accruals increases the slope on lagged profitability, from 1.10 ($t = 2.55$) to 1.38 ($t = 3.21$). All this is in line with previous evidence that the accruals effect in average returns may in part proxy for a growth effect (Fairfield, Whisenant, and Yohn 2003), and with the evidence that adding accruals helps clean up the information in lagged profitability about future profitability (Sloan 1996). Our insight is that these results are consistent with the valuation equation (3).

The PT_t and OH_t measures of firm strength are proxies for expected net cash flows. The valuation equation (3) thus implies that they are candidates for identifying variation in average returns missed by size and B_t/M_t . Confirming Piotroski (2000) and Griffin and Lemmon (2002), Table 3 shows that PT_t and OH_t have explanatory power (average slopes more than 2.2 standard errors from zero) when added to return regressions that include size and B_t/M_t . Controlling for size and B_t/M_t , stronger firms (higher PT_t) have higher average returns, and firms with higher default probabilities (OH_t) have lower average returns.

Adding lagged profitability, asset growth, and accruals to the return regressions dampens the average slopes for PT_t and OH_t a bit, from 0.06 to 0.04 ($t = 2.55$) for PT_t and from -0.04 to -0.03 ($t =$

-1.55) for OH_t (Table 3). Collinearity thus takes its toll, but each of these variables – lagged profitability, growth, accruals, PT_t , and OH_t – seems to capture information about average returns missed by the others. (Without showing the details, we can report that adding the two dividend variables, $No D_t$ and D_t/B_t , and the IBES earnings forecast variable, I_t/B_t , does not enhance explanatory power of these regressions.)

All the results reported above are in line with the valuation equation (3), but two issues merit comment. First, as noted earlier, current accruals are negatively related to future profitability, but the marginal contribution of accruals to predictions of profitability is rather small. It is then puzzling that, in terms of t-statistics, positive accruals are by far the most powerful explanatory variable in the cross-section return regressions. Moreover, the relation between accruals and long-term profitability is about the same for positive and negative accruals (Table 2), but only positive accruals have reliable explanatory power in the return regressions. These results suggest that the relation between positive accruals and future returns is not entirely due to the relation between accruals and future profitability.

Second and perhaps more important, the previous literature typically interprets observed relations between returns and lagged profitability, investment, accruals, PT_t , and OH_t as evidence of mispricing. As emphasized earlier (section I), the profitability, investment, and net cash flow effects in average returns captured by these variables are consistent with the valuation equation (3) whether or not pricing is rational. And tests of (3) cannot in themselves distinguish rational from irrational pricing.

B. “Better” Proxies for Expected Profitability and Investment

The valuation equation (3) suggests that profitability, asset growth, accruals, PT_t , and OH_t predict returns because they have information about expected profitability and asset growth. If so, it seems reasonable that the fitted values from the first stage profitability and growth regressions in Table 2, which aggregate the information in these and other variables about expected profitability and growth, should forecast returns at least as well. The monthly return regressions that use the fitted values, in Panel B of Table 3, do not support this conclusion.

When lagged accounting fundamentals (including profitability, growth, and accruals) are used along with size and B_t/M_t to construct proxies for expected profitability and asset growth, there is a reliably positive relation between expected profitability and average return. The t-statistics for the average slopes on expected profitability are 2.03 in the return regressions that use expected profitability and expected growth one year ahead, and more than 2.3 in the regressions that use forecasts two and three years ahead. Contrary to the predictions of the valuation equation (3), however, the return regressions of Table 3 produce positive average slopes on the Table 2 regression proxies for expected asset growth, but they are not reliably different from zero.

Table 2 says that lagged returns, analyst profitability forecasts, PT_t , and OH_t have explanatory power in the first stage profitability and asset growth regressions that also control for size, B_t/M_t , and lagged accounting fundamentals. But Table 3 says that adding lagged returns, analyst forecasts, PT_t , and OH_t to the first stage regressions does not produce stronger evidence of profitability and investment effects in average returns. In fact, when the fitted values from the full profitability and asset growth regressions are used in the second stage return regressions, the evidence for profitability effects in average returns becomes weaker (the largest t-statistic is 1.64), and there is still no evidence of asset growth effects.

C. Discussion

Why do the simple proxies for expected profitability and investment provided by lagged profitability, asset growth, accruals, PT_t , and OH_t result in better descriptions of average returns than the more complicated proxies from the first stage profitability and asset growth regressions that summarize the information in these and other variables? We offer some possibilities.

Measurement Error – There are two potential measurement error problems in the way we use the first stage profitability and asset growth regressions in the second stage return regressions. First, though the profitability and asset growth regressions identify many variables that have forecast power, the average slopes are subject to measurement error, so there is a measurement error problem when the

regression fitted values are used as explanatory variables in the return regressions. Second, the fitted values from the first stage profitability and asset growth regressions used in the second stage return regressions are computed with full-period average slopes from the year-by-year first stage regressions. The implicit assumption is that the true first stage slopes are constant. If the slopes are not constant, average slopes may produce poor period-by-period estimates of expected profitability and growth.

We suggest that entering lagged size, B_t/M_t , profitability, asset growth, accruals, PT_t , and OH_t directly as explanatory variables in the return regressions provides a flexible solution to these measurement error problems. Specifically, entering the explanatory variables for expected profitability and asset growth into the return regressions in an unrestricted way may implicitly allow them to pick up whatever first stage slopes are currently relevant for predicting profitability and asset growth.

Collinearity – The failure of the fitted values from the profitability and asset growth regressions in the second stage return regressions may in part be due to collinearity. We use the same explanatory variables in the profitability and growth regressions. Many variables affect the two fitted values in similar ways. The coefficients on B_t/M_t , $Neg Y_t$, $+AC_t/B_t$, and $No D_t$ are negative in both sets of regressions (Table 2), and the coefficients on Y_t/B_t are positive. As a result, the fitted values from the first stage regressions are highly correlated. For example, the average of the annual correlations between the one-year-ahead fitted values from the comprehensive first pass profitability and growth regressions is 0.76.

The fitted values from the first stage profitability and asset growth regressions are also correlated with the size and book-to-market variables in the second stage return regressions. B_t/M_t is a powerful explanatory variable in the first stage growth regressions; the correlation between the estimates of expected growth and B_t/M_t is typically about -0.8. Since B_t/M_t is also an explanatory variable in the second stage return regressions, this collinearity may obscure the growth effects in average returns.

Both size and B_t/M_t have strong slopes in the first stage profitability regressions and, as a result, they are correlated with the regression fitted values. The correlation of the estimates of expected profitability with size is around 0.4, and the correlation with B_t/M_t is about -0.7. Although these links are not as tight as those between B_t/M_t and the estimates of expected asset growth, they do make it hard to

identify the marginal relation between expected profitability and expected return in the second stage return regressions.

This is a good place to note that the valuation equation (3) does not imply that there must be variation in expected returns independent of size and B_t/M_t . Suppose differences in expected returns are perfectly explained by size and B_t/M_t . Then the best possible forecasts of expected net cash flows must be perfectly correlated with linear combinations of size and B_t/M_t , so there are no profitability and investment effects in expected returns left unexplained by size and B_t/M_t . Since the proxies for expected growth from the asset growth regressions are highly correlated with B_t/M_t , this story may explain why the proxies do not identify growth effects in average returns. The proxies for expected profitability from the cross-section profitability regressions are less correlated with B_t/M_t , which may explain why they show up more strongly in the return tests.

This discussion suggests that lagged asset growth may show up in the return regressions with a reliably negative average slope because of the information in asset growth about future profitability, rather than because of its information about expected growth. Recall that lagged asset growth is not important in predicting future growth in the multiple regressions of Table 2. Moreover, in the regressions to forecast profitability (where accruals and especially lagged profitability have powerful roles), higher growth is associated with lower future profitability. This is consistent with lower expected returns for faster growing firms, especially when the return regressions control for lagged profitability and accruals.

IV. Expected Returns: Portfolio Tests

Cross-section return regressions can identify variables that help describe average stock returns, but the economic significance of the average slopes is not always easy to judge. Moreover, the average slopes from the return regressions cannot tell us whether the regressions are well-specified. For example, do the profitability and asset growth effects in average returns identified by the regressions show up in a general way among stocks in different size and book-to-market groups? This section uses portfolio tests to examine these issues.

A. Economic Significance

Table 4 shows the predicted and actual returns on portfolios formed using the predicted values from the return regressions of Table 3. Recall that we update the explanatory variables in the cross-section regressions at the end of each June and forecast monthly returns for July to the following June. Thus, we compute the predicted monthly returns on individual stocks at the end of each June by combining the current values of the explanatory variables in the return regressions of Table 3 with the average monthly regression slopes for the full sample period. (Since the goal is to develop perspective on the results produced by the return regressions, the “look-ahead” bias implied by using full-period average regression slopes is not an issue.) We then allocate stocks to high and low expected return portfolios based on whether their predicted monthly returns for the next year are above or below the sample median for the year. For each return regression in Table 3, Table 4 shows the difference between average predicted high and low returns and the difference between average actual returns. We report both equal-weight returns, which give heavy weight to the many small firms in the sample, and value-weight returns, which give heavy weight to large firms.

The first stage profitability and asset growth regressions of Table 2 examine forecast horizons of one, two, and three years. Table 3 uses these forecasts in three separate sets of regressions to explain the cross-section of average returns. We have estimated the high minus low return spreads in Table 4 using the Table 3 regressions for each of the three forecast horizons. The results for different forecast horizons are near identical. To save space, Table 4 shows only the predicted and actual return spreads based on the Table 3 return regressions that use forecasts of profitability and growth one year ahead.

Note first that predicted spreads in average equal- and value-weight returns are fairly similar. This result suggests that small and big firms have roughly similar cross-sectional variation in the underlying regression explanatory variables. When we equal weight returns, however, the average actual return spread for every regression is higher than the predicted spread, but with value weighting, actual spreads are below predicted spreads. We infer that the average return effects measured by the Table 3

regressions are stronger among smaller firms, and smaller firms are influential in determining the slopes in the cross-section return regressions. Still, the ordering of the spreads in actual average returns produced by successive regressions in Table 4 is the same for equal-weight and value-weight returns, so we also infer (and Table 5 below confirms) that though the magnitudes differ, the average return effects observed in the regressions of Table 3 are common to small and big firms.

Table 4 confirms existing evidence that differences in size and book-to-market equity are associated with large spreads in average returns. The spreads in high minus low average returns predicted by the cross-section regressions that use just size and B_t/M_t to explain returns are 0.42% (equal-weight, EW) and 0.49% (value-weight, VW) per month; the actual spreads in average returns are 0.52% (EW) and 0.43% (VW), and they are 4.66 and 3.42 standard errors from zero. We know from Table 3 and previous work that the lion's share of these spreads is due to the value premium identified by B_t/M_t .

The regressions in Table 3 say that lagged profitability, asset growth, and accruals have statistically reliable power to forecast returns when added to regressions that also include size and B_t/M_t as explanatory variables. But Table 4 says that the increments to average returns produced by these variables are modest. Adding lagged profitability and asset growth to the return regressions in Table 3 (Regression 2) increases the predicted spreads in Table 4 by 0.09% (EW) and 0.03% (VW) per month; the increments to actual spreads in average returns are 0.06% (EW) and 0.05% (VW). Adding positive and negative accruals further increases the average predicted return spreads by just 0.03% (EW) and 0.02% (VW) per month; the increases in average actual return spreads are 0.09% (EW) and 0.02% (VW).

If we use just PT_t and OH_t with size and B_t/M_t to forecast returns (Regression 4 in Table 4), the average predicted and actual return spreads are below the spreads produced by combining lagged profitability, asset growth, and accruals with size and B_t/M_t . And the full Regression 5 in Table 4 that uses lagged size, B_t/M_t , profitability, growth, accruals, PT_t , and OH_t to forecast returns produces average predicted and actual return spreads close to those obtained without PT_t and OH_t . In short, the Piotroski (2000) and Ohlson (1980) measures of firm strength, which aggregate the information in many

accounting variables, seem to have no economically important information about expected returns beyond the information in lagged profitability, growth, and accruals, which in turn seems modest.

In the return regressions of Table 3, the fitted values from the regressions to explain profitability and asset growth in Table 2 do not show consistent marginal explanatory power. We speculated that one problem may be collinearity: the fitted values from the profitability and growth regressions are highly correlated with each other and with B_t/M_t . In the return forecasts of Table 4, however, we are interested in whether the fitted values for profitability and growth together have information about average returns beyond that in size and B_t/M_t . In this task, the high correlation of the fitted values with B_t/M_t remains a problem, but collinearity between the two fitted values themselves is not a problem. There is thus reason to hope that the fitted values from the profitability and growth regressions identify substantial variation in average predicted and actual returns.

The hope is not realized. Table 4 says that, used with size and B_t/M_t as explanatory variables in the return regressions of Table 3, the fitted values from the regressions in Table 2 that use size, B_t/M_t , and accounting fundamentals to predict profitability and asset growth produce spreads in average predicted and actual returns about as large as those produced by size and B_t/M_t alone. Thus, in economic terms these forecasts of profitability and investment add little or nothing to the prediction of returns provided by size and B_t/M_t . Moreover, the profitability and asset growth regressions that use the full set of apparently important explanatory variables produce lower average predicted and actual return spreads than the baseline return regressions that use just size and B_t/M_t as explanatory variables. Thus, these fitted values partially obscure the return predictions provided by size and B_t/M_t .

B. Pervasiveness and Regression Specification

Table 4 gives an overall picture of the economic significance of the variation in average returns uncovered in the return regressions of Table 3. The final task is to examine whether the return regressions are well-specified in the sense that the predictions they make show up in the average returns of firms in different size and book-to-market groups.

The size- B_t/M_t groups are the portfolios used in the construction of the SMB (small minus big market cap) and HML (high minus low B_t/M_t) returns of the three-factor model of Fama and French (1993). In June of each year beginning in 1963, NYSE, AMEX, and Nasdaq firms are allocated to two size groups, small (S) and big (B), according to whether their market cap is below or above the NYSE median. Firms are also allocated to three book-to-market groups depending on whether their B_t/M_t is in the bottom 30% (L), middle 40% (M), or top 30% (H) of B_t/M_t for NYSE firms. Intersecting the size and B_t/M_t sorts produces six portfolios, SL, SM, SH, BL, BM, and BH.

At the end of each June, we allocate the stocks in each of the six size- B_t/M_t groups to high and low expected return portfolios based on whether their predicted monthly returns (fitted values) for the next year are above or below their group's median. We then compute the predicted and actual returns on the high and low portfolios for the next twelve months. For each return regression in Table 3 and for each of the six size- B_t/M_t groups, Table 5 shows the difference between average equal-weight predicted high and low returns and the difference between average equal-weight actual high and low returns. (Value-weight returns, omitted to save space, support the same conclusions.) Comparing average actual return spreads with the spreads predicted for the six size- B_t/M_t groups gives perspective on which groups deliver the variation in average returns predicted by the regressions. This, in turn, provides information about whether the regressions are well-specified in different size- B_t/M_t groups. Table 5 shows predicted and actual average return spreads for all the return regressions in Table 3, but the discussion below focuses on the regressions (lagged size, B_t/M_t , profitability, asset growth, and accruals as explanatory variables) that produce incremental return spreads in Table 4.

The baseline again is the return regression with only size and B_t/M_t as explanatory variables. Within each of the six size- B_t/M_t groups there is variation in size and B_t/M_t which produces rather large spreads (from 0.11 to 0.25% per month) in predicted high minus low average returns. The actual spreads in average returns reproduce the predicted spreads fairly well, with one notable exception. The average return spread for the small growth group SL, 0.33% per month ($t = 3.41$), is near 75% larger than the spread predicted by the within-group variation in size and B_t/M_t , 0.19%.

Adding lagged profitability and growth to return regressions that also include size and B_t/M_t as explanatory variables increases the predicted and actual average return spreads for all six size- B_t/M_t groups, so the relation between these variables and average returns is general. We infer that the regressions that predict returns with size, B_t/M_t , profitability, and growth are well-specified; they identify patterns in average returns that show up within all size- B_t/M_t groups. As in the overall return results in Table 4, however, the increments to predicted and actual average return spreads obtained by adding profitability and asset growth to the return regressions are typically modest, except again for the small growth group where the predicted average return spread rises by 0.25% per month (more than twice the increase for any other group) and the actual rises by 0.27%. We infer that there is wide variation in profitability and asset growth among small growth stocks, and it shows up as predicted in average returns.

Adding lagged accruals to the return regressions that also include lagged size, B_t/M_t , profitability, and asset growth as explanatory variables (Regression 3) increases the predicted high minus low return spreads for the six size- B_t/M_t groups by between 0.03% and 0.11% per month. The spreads in actual average returns also increase for all groups except BH (big value stocks). The increases are modest, except (again) for the small growth group, where adding accruals to the return regressions causes the average high minus low return spread to rise from an already impressive 0.60% per month ($t = 4.50$) to 0.86% ($t = 6.57$). This is more than six times the predicted increase, from 0.44% to 0.48%. In short, adding accruals to the explanatory variables in the return regressions produces small increases in average high minus low returns for most groups, except for small growth stocks. We infer that small growth stocks are influential in the strong average slope for positive accruals in the return regressions of Table 3.

Our modest incremental returns associated with accruals are in contrast to returns of about 10% per year documented by Sloan (1996) and others for strategies that buy the stocks of low accruals firms and short firms with high accruals. Why are our results different? First, earlier return tests do not simultaneously control for size, B_t/M_t , profitability, and growth, to isolate the marginal explanatory power of accruals. Second, the portfolio strategies examined are typically extreme, buying and shorting equal-weight portfolios of the bottom and top deciles of accruals. In contrast, we compare the top and bottom

halves of predicted returns within the six size-B/M portfolios. Our results suggest that small growth stocks are probably influential in the large equal-weight returns observed for extreme strategies.

Fama and French (1993) find that small growth stocks are a big problem for their three-factor asset pricing model, and Mitchell and Stafford (2000) find that small growth stocks are influential in many high profile event study anomalies. The evidence presented here suggests that small growth stocks are also influential in the accruals anomaly.

V. Conclusions

The valuation equation (3) says that (i) controlling for expected profitability and investment, firms with higher book-to-market equity have higher expected stock returns, (ii) given B_t/M_t and expected investment, higher expected profitability also implies higher expected returns, and (iii) given B_t/M_t and expected profitability, faster expected rates of investment are associated with lower expected returns.

Our evidence tends to confirm these predictions. Specifically our cross-section regressions say that lagged profitability, asset growth, and accruals, used as simple proxies for expected profitability and investment, are related to average returns in the manner predicted by (3). The Piotroski (2000) and Ohlson (1980) measures of firm strength, which are proxies for expected net cash flows (earnings minus investment), are also related to average returns in the manner predicted by (3).

A puzzle arises when the fitted values from the cross-section regressions to forecast profitability and asset growth are used as proxies for expected profitability and investment in the cross-section return regressions. Many variables contribute to the regression forecasts of profitability and asset growth. Thus, there seems to be much information about expected profitability and asset growth beyond that in lagged profitability and asset growth. Better proxies for expected profitability and investment should do a better job identifying the profitability and investment effects in average returns predicted by (3). But this is not what we observe. We suggest that the problem is some combination of measurement error in the fitted values from the first stage profitability and asset growth regressions, and collinearity between these fitted values and the book-to-market variable in the second stage return regressions. We argue that the

measurement error problem is implicitly resolved by entering important explanatory variables from the first stage profitability and asset growth regressions (lagged profitability, growth, accruals, and the PT_t and OH_t measures of firm strength) directly as explanatory variables in the second stage return regressions.

Qualitatively, our results are in line with much existing evidence. It is not a surprise that book-to-market equity is a powerful variable in describing the cross-section of average stock returns (for example, Fama and French 1992). Existing evidence also says that more profitable firms have higher expected returns (for example, Haugen and Baker 1996), and firms that invest more have lower average returns (for example, Fairfield, Whisenant, and Yohn 2003). Sloan (1996) and many subsequent papers document that higher current accruals imply lower future profitability and lower future stock returns. Piotroski (2000) and Griffin and Lemmon (2002) find that the PT_t and OH_t proxies for expected net cash flows are related to average stock returns. At a minimum, our framing of the evidence emphasizes that all these results are consistent with valuation theory, as summarized in equation (3).

Our evidence, however, provides more than perspective on existing results. Previous work typically examines return effects one variable at a time. In contrast, we examine how lagged B_t/M_t , profitability, asset growth, accruals, and the PT_t and OH_t proxies for expected net cash flows contribute to the description of average returns in tests that examine incremental effects. Specifically, we examine the spreads in realized average returns obtained when we allocate stocks to high and low expected return portfolios based on the fitted values from cross-section return regressions that successively add variables identified by us and others as important. The spreads in realized average returns are large, but the lion's share is absorbed by the book-to-market ratio, with a minor assist from size. The high minus low portfolio average returns from cross-section regressions that use size and B_t/M_t to explain returns are 5% to 6% per year. Adding lagged profitability and growth to the regressions increases the average return spreads by less than 1% per year. When we add accruals to these regressions, the incremental return is again less than 1% per year, and most of this seems to be due to small growth stocks. Finally, adding PT_t

and OH_t to regressions that include lagged size, B_t/M_t , profitability, asset growth, and accruals as explanatory variables adds nothing to high minus low average returns.

We have emphasized throughout that there is one important issue on which our results are silent: whether the relations between average returns and lagged B_t/M_t , profitability, asset growth, accruals, PT_t , and OH_t are due to rational or irrational pricing. The problem, again, is that the predictions of the valuation equation (3) about how expected returns relate to B_t/M_t and proxies for expected profitability and investment when pricing is rational are the same as (they are observationally equivalent to) those that hold when pricing is irrational. The related literature based implicitly or explicitly on (3) typically claims evidence of irrational pricing. We are perhaps too harsh, but our view is that such conclusions are no more than unsupported opinions.¹

Appendix: Data

The base accounting variables, from Compustat, are: A_t , total assets (Compustat data item 6); Y_t , income before extraordinary items (18); AC_t , accruals (the change in (i) current assets (4), minus (ii) cash and short term investments (1), minus (iii) current liabilities (5), plus (iv) debt in current liabilities (34)); D_t , total dividends, (dividends per share by ex date (26) times common shares outstanding (25)); and B_t , book equity (total assets (6), minus liabilities (181), plus balance sheet deferred taxes and investment tax credit (35) if available, minus preferred stock liquidating value (10) if available, or redemption value (56) if available, or carrying value (130)). The accounting variables for year t are measured at the fiscal year

¹ Other approaches may have more power to identify whether observed patterns in average returns are due to rational or irrational pricing. For example, to test his hypothesis that investors do not understand the faster mean reversion of the accruals component of earnings, Sloan (1996) examines the returns of high and low accruals firms around subsequent earnings announcements. He concludes that a large fraction (about 40%) of this year's average return associated with last year's accruals occurs around earnings announcements, and he argues that this supports his hypothesis that the relation between accruals and average returns is due to investor misperceptions about the faster mean reversion of accruals. His Table 8 shows, however, that all of the large announcement period returns are for extreme low accruals; there are no unusual announcement returns for high accruals. In his tests (which do not control for other effects), extreme low and high accruals are associated with full-year average returns of about the same absolute value, which means the asymmetric announcement period returns are somewhat ambiguous support for his hypothesis. In our tests (which control for other effects), the accrual effect in average returns is entirely due to positive accruals. Announcement period returns that are strong for low accruals and nonexistent for high accruals are then doubly puzzling and probably irrelevant for inferences about whether investors miss the faster mean reversion of the accruals component of earnings.

end that falls in calendar year t . Market capitalization MC_t (price times shares outstanding) is from CRSP (the Center for Research in Security Prices of the University of Chicago).

We compute the book-to-market ratio for year t , B_t/M_t , as book equity for the fiscal year end in calendar year t divided by market equity at the end of December of t . The market cap variable, $\ln MC_t$, used to measure size in the profitability and growth regressions of Tables 1 and 2, is measured at the fiscal year end. The market cap variable, $\ln MC_{t+1}$, used to measure size in the Table 3 return regressions for July of $t+1$ to June of $t+2$ and when assigning firms to the six size- B_t/M_t portfolios at the end of June of $t+1$ in Table 4 is for the end of June of $t+1$.

We compute two summary measures of firm strength. The first, OH_t , is a measure of bankruptcy risk developed by Ohlson (1980). Ignoring the constant, OH_t is defined as:

$$OH_t = -4.07 \ln A_t + 6.03 L_t/A_t - 1.43 (CA_t - CL_t)/A_t + 0.0757 CL_t/CA_t - 2.37 NI_t/A_t \\ + 0.285 Loss_t - 1.72 NegBook_t - 0.521 \Delta NI_t - 1.83 Op_t/L_t,$$

where $\ln A_t$ is the natural log of assets; L_t is liabilities (Compustat item 181); CA_t is current assets (4); CL_t is current liabilities (5); NI_t is net income (172); $Loss_t$ is 1 if net income is negative in t and $t-1$, and 0 otherwise; $NegBook_t$ is 1 if liabilities exceed assets and 0 otherwise; ΔNI_t is the change in net income from $t-1$ to t divided by the sum of the absolute values of net income in $t-1$ and t , $(NI_t - NI_{t-1})/(|NI_{t-1}| + |NI_t|)$; and Op_t , funds from operations, is earnings before extraordinary items (18), plus income statement deferred taxes (50), if available, plus equity's share of depreciation expense, which we define as $ME_t/(A_t - B_t + ME_t)$ times total depreciation expense (14).

The second composite measure of firm strength, PT_t , is from Piotroski (2000). It is the sum of nine binary variables, each equal to 1 if a given condition holds and 0 otherwise. The nine conditions are: (i) income before extraordinary items, Y_t , is positive; (ii) cashflow from operations, CFO_t , is positive; (iii) the change in the return on assets, defined as income before extraordinary items at year end divided by assets at the beginning of the year, Y_t/B_t , is positive; (iv) cashflow from operations exceeds income before extraordinary items; (v) the change in leverage, defined as long-term debt at fiscal year end (Compustat items 9 and 44) divided by assets at year end, is negative; (vi) the change in liquidity, defined as current

assets divided by current liabilities, is positive; (vii) the change in the gross margin ratio, defined as one minus the ratio of the cost of goods sold (41) to sales (12), is positive; (viii) the change in turnover, defined as sales divided by beginning of year assets, is positive; and (ix) the company has a positive cashflow from the sale of common and preferred (108). The changes are measured from year $t-1$ to t . If the Compustat format code for the statement of cashflows (310) indicates the company does report a statement of cashflows (format code 7), cashflow from operations, CFO_t , is net cash from operating activities (308). If the company reports a statement of working capital (format code 1), CFO_t is funds from operations, Op_t , minus other changes in working capital (236, if available). For other format codes, CFO_t is funds from operations, Op_t , plus other changes in working capital (if available). Since each binary variable is 0 if a condition does not hold, PT_t increases with firm strength.

Analyst earnings forecasts are from Thomson Financial's I/B/E/S database. I_t is the median forecast of earnings per share for fiscal year $t+1$ that is available at the end of fiscal year t . (Using the forecasts for year $t+2$ or $t+3$ does not change the results materially.) I_t/B_t is the median forecast at the end of fiscal year t times the I/B/E/S split factor for that month (to reverse adjustments I/B/E/S makes for stock splits that occur after t) times the shares outstanding at t reported by Compustat (data item 25) divided by book equity for fiscal year t . We do not use an I/B/E/S forecast if the split adjusted version of the stock price reported by I/B/E/S at the end of the fiscal year differs by more than five percent from the price reported by CRSP.

All variables except $\ln MC_t$ and $\ln A_t$ (in OH_t) are on a per share basis. We use CRSP's share factor (FACSHR) for stock splits and stock dividends (distribution codes 5510-5559) to adjust non-synchronous variables, such as Y_{t+1}/B_t and dA_{t+1}/A_t .

To reduce the influence of outliers, we delete a firm from the year t profitability and growth regressions of Tables 1 and 2 if an explanatory variable is outside the 0.5 or 99.5 percentile for that variable in year t . But we do not delete firms with extreme values when computing the fitted values from the profitability and growth regressions for use as explanatory variables in the return regressions of Table 3. Instead, we winsorize the explanatory variables in the profitability and growth regressions at the 0.5

percent level, shrinking extreme values to the 0.5 and 99.5 percentiles for year t . Thus, we delete firms with variables outside the 0.5 and 99.5 percentiles in the estimating the profitability and growth regressions, but we shrink extreme values when estimating expected profitability and growth for the return regressions. Of course, we consider only the upper or lower bound for one-sided variables, such as $+AC_t/B_t$ and $-AC_t/B_t$. We also winsorize other independent variables in the return regressions at the 0.5 and 99.5 percentiles.

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Table 1 - Regressions to predict profitability and asset growth

The table shows average slopes and their Fama-MacBeth (1973) t-statistics from annual cross-section regressions to predict profitability, $Y_{t+\tau}/B_t$, and asset growth, $dA_{t+\tau}/A_t = (A_{t+\tau}-A_t)/A_t$, one, two, and three years ahead ($\tau = 1,2,3$). Y_t , D_t , and AC_t are earnings, dividends, and accruals per share for the fiscal year ending in calendar year t . $-AC_t$ is accruals for firms with negative accruals (zero otherwise) and $+AC_t$ is accruals for firms with positive accruals. B_t , A_t , and M_t are book equity, total assets, and stock price per share at the end of fiscal year t . MC_t is market capitalization (price times shares outstanding) at the end of fiscal year t . I_t is the I/B/E/S consensus forecast of earnings for the coming year, sampled at the end of fiscal year t . $1Yr_t$ is the stock return for the year up to the end of fiscal year t , and $2-3Yr_t$ is the two-year return for the years up to the end of fiscal year $t-1$. OH_t is the probability of default on debt, estimated at the end of fiscal year t , from the logit regression model of Ohlson (1980). PT_t is Piotroski's (2000) composite index of firm strength. $Neg Y_t$ is a dummy variable that is one for firms that have negative earnings for fiscal year t (zero otherwise), and $No D_t$ is a dummy variable that is one for firms that pay no dividends during fiscal year t . The regressions are univariate (dA_t/A_t and I_t/B_t) or they use natural subsets of explanatory variables ($\ln B_t/M_t$ and $\ln M_t$, or $Neg Y_t$, Y_t/B_t , $-AC_t/B_t$, and $+AC_t/B_t$, or $No D_t$ and D_t/B_t , or $1Yr_t$ and $2-3Yr_t$, or OH_t and PT_t). The time period for the dependent variable in the regressions that forecast profitability and growth one year ahead is 1963-2004, except for the regressions that use I_t/B_t , where the period is 1977-2003, and the regressions that use PT_t , where the time period is 1972-2004.

τ	$\ln B_t/M_t$	$\ln MC_t$	$Neg Y_t$	Y_t/B_t	$-AC_t/B_t$	$+AC_t/B_t$	$No D_t$	D_t/B_t	dA_t/A_t	$1Yr_t$	$2-3Yr_t$	OH_t	PT_t	I_t/B_t
Regressions to predict asset growth, $dA_{t+\tau}/A_t$														
Average slopes														
1	-0.11	-0.70	-0.06	0.58	0.00	0.01	0.02	-0.25	0.16	0.10	0.05	-2.61	1.23	0.62
2	-0.22	-1.71	-0.06	1.23	-0.11	0.01	0.05	-0.48	0.30	0.20	0.09	-4.67	2.24	1.23
3	-0.32	-2.87	-0.03	1.93	-0.08	-0.02	0.08	-0.78	0.43	0.28	0.12	-6.78	3.03	1.88
t-statistics														
1	-16.79	-4.27	-8.52	18.97	0.05	0.62	2.50	-4.56	12.42	17.72	14.91	-17.79	8.42	9.12
2	-18.91	-6.19	-3.74	20.07	-1.40	0.18	4.16	-4.23	10.63	17.65	12.95	-18.77	9.74	9.94
3	-17.97	-6.69	-1.21	19.27	-0.97	-0.48	5.55	-4.06	10.02	14.766	13.63	-20.02	7.61	10.59
Regressions to predict profitability, $Y_{t+\tau}/B_t$														
Average slopes														
1	-0.08	1.05	-0.08	1.01	-0.02	-0.08	-0.02	1.06	0.10	0.10	0.04	-2.37	2.47	0.97
2	-0.07	0.84	-0.03	0.98	-0.01	-0.09	-0.00	1.14	0.08	0.08	0.03	-1.71	1.89	0.89
3	-0.07	0.77	-0.01	1.01	-0.05	-0.07	0.00	1.17	0.07	0.06	0.02	-1.51	1.53	0.91
t-statistics														
1	-12.19	4.72	-6.23	58.31	-1.10	-8.44	-2.30	27.19	6.68	11.89	11.22	-18.26	13.05	34.56
2	-8.03	3.56	-1.97	40.67	-0.49	-6.76	-0.50	24.24	5.02	9.62	9.33	-17.15	12.10	27.54
3	-6.52	2.78	-0.58	33.06	-3.25	-4.33	0.35	21.31	3.99	8.63	4.94	-10.22	11.08	20.42

Table 2 - Multiple regressions to predict profitability and asset growth

The table shows average slopes and their Fama-MacBeth (1973) t-statistics from annual cross-section regressions to predict profitability, $Y_{t+\tau}/B_t$, and asset growth, $dA_{t+\tau}/A_t = (A_{t+\tau}-A_t)/A_t$, one, two, and three years ahead ($\tau=1,2,3$). Y_t , D_t , and AC_t are earnings, dividends, and accruals per share for the fiscal year ending in calendar year t . $-AC_t$ is accruals for firms with negative accruals (zero otherwise) and $+AC_t$ is accruals for firms with positive accruals. B_t , A_t , and M_t are book equity, total assets, and stock price per share at the end of fiscal year t . MC_t is market capitalization (price times shares outstanding) at the end of fiscal year t . I_t is the I/B/E/S consensus forecast of earnings for the coming year, sampled at the end of fiscal year t . $1Y_{r_t}$ is the stock return for the year up to the end of fiscal year t , and $2-3Y_{r_t}$ is the two-year return for the years up to the end of fiscal year $t-1$. OH_t is the probability of default on debt, estimated at the end of fiscal year t , from the probit regression model of Ohlson (1980). PT_t is Piotroski's (2000) composite index of firm strength. $Neg Y_t$ is a dummy variable that is one for firms that have negative earnings for fiscal year t (zero otherwise), and $No D_t$ is a dummy variable that is one for firms that pay no dividends during fiscal year t . $Firms$ is the average number of firms in the regressions. The time period for the dependent variable in the regressions that forecast profitability and asset growth one year ahead is 1963-2004, except for the regressions that use I_t/B_t , where the period is 1977-2003, and the regressions that use PT_t , where the time period is 1972-2004.

τ	Firms	Int	$\ln B_t/M_t$	$\ln MC_t$	$Neg Y_t$	Y_t/B_t	$-AC_t/B_t$	$+AC_t/B_t$	dA_t/A_t	No D_t	D_t/B_t	$1Y_{r_t}$	$2-3Y_{r_t}$	OH_t	PT_t	I_t/B_t	R^2
Regressions to predict asset growth, $dA_{t+\tau}/A_t$																	
Average slopes																	
1	1953	1.13	-0.10	-0.53	-0.09	0.19	0.03	-0.09	0.05	-0.01	-1.13						0.12
2	1810	1.25	-0.19	-1.23	-0.14	0.46	-0.04	-0.21	0.10	-0.02	-2.16						0.15
3	1675	1.40	-0.28	-2.03	-0.15	0.79	0.04	-0.36	0.11	-0.03	-3.26						0.16
t-statistics																	
1		131.46	-12.93	-3.25	-13.55	4.51	1.02	-5.73	6.82	-2.56	-14.26						
2		69.97	-15.98	-4.42	-6.49	5.66	-0.46	-8.58	5.80	-2.62	-15.09						
3		47.87	-16.46	-5.23	-4.14	6.91	0.35	-9.42	5.46	-2.76	-14.25						
Average slopes																	
1	1458	1.09	-0.08	-0.31	-0.06	0.10	0.06	-0.10	0.00	-0.02	-1.07	0.04	0.02	-1.11	-0.03	0.09	0.16
2	1353	1.16	-0.17	-0.87	-0.09	0.25	0.03	-0.17	0.00	-0.04	-2.02	0.08	0.04	-2.28	0.26	0.10	0.20
3	1259	1.25	-0.27	-1.60	-0.10	0.43	0.10	-0.28	-0.02	-0.05	-3.17	0.12	0.05	-3.12	0.81	0.12	0.20
t-statistics																	
1		57.52	-10.72	-0.89	-11.22	3.25	2.64	-3.40	0.04	-2.89	-7.82	3.53	6.66	-11.14	-0.24	2.28	
2		30.42	-12.11	-1.60	-8.37	3.64	0.82	-3.93	0.10	-2.89	-10.90	7.80	5.25	-13.12	1.07	1.18	
3		18.28	-13.33	-2.25	-3.74	2.50	1.40	-4.16	-0.51	-2.63	-10.44	5.58	4.68	-10.10	1.45	1.22	

Table 2 (continued)

τ	Firms	Int	$\ln B_t/M_t$	$\ln MC_t$	Neg Y_t	Y_t/B_t	$-AC_t/B_t$	$+AC_t/B_t$	dA_t/A_t	No D_t	D_t/B_t	$1Yr_t$	$2-3Yr_t$	OH_t	PT_t	I_t/B_t	R^2
Regressions to predict profitability, $Y_{t+\tau}/B_t$																	
Average slopes																	
1	1953	0.03	-0.04	0.00	-0.07	0.78	-0.03	-0.07	-0.00	-0.03	0.02						0.39
2	1810	0.04	-0.04	-0.03	-0.02	0.71	-0.03	-0.07	-0.02	-0.02	0.13						0.26
3	1675	0.15	-0.04	0.02	-0.01	0.70	-0.07	-0.05	-0.02	-0.02	0.14						0.20
t-statistics																	
1		3.95	-8.05	0.00	-7.50	35.16	-2.21	-7.89	-0.81	-10.21	0.51						
2		3.67	-5.32	-0.27	-2.84	21.04	-1.89	-5.35	-3.15	-6.42	2.15						
3		3.11	-3.80	0.15	-1.13	14.82	-4.18	-2.82	-3.23	-3.86	1.56						
Average slopes																	
1	1458	-0.04	-0.04	0.21	-0.05	0.47	-0.02	-0.11	-0.02	-0.03	0.04	0.04	-0.00	-0.25	0.43	0.37	0.39
2	1353	-0.03	-0.04	0.36	-0.01	0.41	-0.02	-0.09	-0.03	-0.03	0.07	0.02	-0.00	-0.09	0.42	0.35	0.24
3	1259	-0.04	-0.04	0.57	-0.01	0.45	-0.06	-0.07	-0.02	-0.03	-0.03	0.00	-0.02	-0.11	0.30	0.45	0.18
t-statistics																	
1		-3.86	-9.37	2.18	-8.83	10.94	-0.83	-10.30	-3.26	-9.01	0.78	6.16	-0.65	-3.23	5.12	7.19	
2		-1.99	-7.41	2.56	-1.83	9.12	-0.78	-3.71	-4.31	-8.22	1.11	2.48	-1.64	-0.93	3.16	8.90	
3		-1.70	-3.99	3.19	-0.68	6.63	-2.29	-2.45	-1.92	-4.03	-0.29	0.11	-1.79	-0.45	2.33	5.96	

Table 3 – Monthly cross-section return regressions

The table shows average slopes and their Fama-MacBeth (1973) t-statistics from monthly cross-section regressions to predict stock returns. Y_t , D_t , and AC_t are earnings, dividends, and accruals per share for the fiscal year ending in calendar year t . $-AC_t$ is accruals for firms with negative accruals (zero otherwise) and $+AC_t$ is accruals for firms with positive accruals. B_t , A_t , and M_t are book equity, total assets, and stock price per share at the end of fiscal year t . MC_t is market capitalization (price times shares outstanding) at the end of June of year $t+1$. I_t is the IBES consensus forecast of earnings for the coming year, sampled at the end of fiscal year t . $1Y_{r_t}$ is the stock return for the year up to the end of fiscal year t , and $2-3Y_{r_t}$ is the two-year return for the years up to the end of fiscal year $t-1$. OH_t is the probability of default on debt, estimated at the end of fiscal year t , from the logit regression model of Ohlson (1980). PT_t is Piotroski's (2000) composite index of firm strength. $Neg Y_t$ is a dummy variable that is one for firms that have negative earnings for fiscal year t (zero otherwise), and $No D_t$ is a dummy variable that is one for firms that pay no dividends during fiscal year t . $E(Y_{t+\tau}/B_t)$ and $E(dA_{t+\tau}/A_t)$, expected profitability and asset growth, are fitted values from the first pass regressions in Table 2 that include (i) lagged fundamentals ($\ln B_t/M_t$, $\ln M_t$, $Neg Y_t$, Y_t/B_t , $-AC_t/B_t$, $+AC_t/B_t$, dA_t/A_t , $No D_t$, and D_t/B_t) and (ii) lagged fundamentals, lagged returns, I_t/B_t , OH_t , and PT_t . $Firms_t$ is the average number of firms in the regressions. The regressions are estimated monthly, beginning in July of 1963, using explanatory variables that are updated at the end of each June. The accounting explanatory variables in the regression for July of year $t+1$ are for fiscal years ending in calendar year t . The size variable, $\ln MC_t$, is measured at the end of June of year $t+1$, but in B_t/M_t , M_t is measured at the end of December of year t . The time period for the dependent returns in the regressions is July 1963 to December 2004, except for the regressions that require I_t/B_t , where the period is July 1977 to December 2003, and the regressions that require PT_t , where the time period is July 1972 to December 2004.

Part A: Regressions use lagged profitability, asset growth, accruals, OH_t , and PT_t

	Firms	Int	$\ln B_t/M_t$	$\ln MC_t$	$Neg Y_t$	Y_t/B_t	$-AC_t/B_t$	$+AC_t/B_t$	dA_t/A_t	OH_t	PT_t	R^2
Ave slopes	2058	1.66	0.28	-0.06								0.02
t-statistics		3.85	2.97	-1.20								
Ave slopes	2058	1.69	0.28	-0.08	0.00	1.10			-0.40			0.03
t-statistics		4.36	2.74	-1.83	-0.02	2.55			-3.87			
Ave slopes	2058	1.83	0.26	-0.10	0.00	1.38	-0.24	-1.42	-0.19			0.04
t-statistics		4.93	2.61	-2.37	-0.03	3.21	-0.80	-6.82	-1.99			
Ave slopes	2253	1.35	0.34	-0.07						-0.04	0.06	0.03
t-statistics		2.43	3.02	-1.33						-2.25	2.58	
Ave slopes	2253	1.51	0.34	-0.09	0.11	1.51	-0.09	-1.32	-0.25	-0.03	0.04	0.03
t-statistics		3.44	2.89	-1.76	0.77	3.40	-0.41	-5.42	-2.44	-1.55	2.55	

Table 3 (continued)

Part B: Regressions use expected profitability, $F(Y_{t+\tau}/B_t)$, and asset growth, $F(dA_{t+\tau}/A_t)$, from first stage regressions

τ	Firms	Int	$\ln B_t/M_t$	$\ln M_t$	$F(dA_{t+\tau}/A_t)$	$F(Y_{t+\tau}/B_t)$	R^2
Expected profitability and growth estimated with lagged fundamentals							
Average slopes							
1	2058	1.61	0.37	-0.08	0.04	1.58	0.03
2	2058	1.11	0.48	-0.08	0.39	2.05	0.03
3	2058	0.97	0.53	-0.07	0.42	2.04	0.03
t-statistics							
1		1.86	3.42	-1.92	0.05	2.03	
2		1.92	3.87	-1.76	0.87	2.37	
3		1.89	4.14	-1.56	1.34	2.40	
Expected profitability and growth estimated with lagged fundamentals, lagged returns, I_t/B_t , OH_t , and PT_t							
Average slopes							
1	1530	2.06	0.20	-0.09	-0.20	1.27	0.03
2	1530	1.75	0.25	-0.10	0.08	1.58	0.03
3	1530	1.57	0.28	-0.09	0.21	1.43	0.03
t-statistics							
1		1.97	1.49	-1.75	-0.18	1.28	
2		2.75	1.67	-1.80	0.16	1.49	
3		2.71	1.92	-1.71	0.66	1.64	

Table 4 – Equal-weight (EW) and value-weight (VW) predicted and actual average high minus low returns

Each month the fitted values, computed using the average monthly slopes for the full sample period from the return regressions in Table 3, are used to allocate stocks to high and low predicted return portfolios based on whether their regression fitted values for the month are above or below the sample median for the month. For each return regression in Table 3, we compute the average monthly predicted and actual spreads between the equal-weight (EW) and value-weight (VW) average high and low returns. The t-statistics, $t()$, are the ratios of the average actual spreads to their time series standard errors.

The explanatory variables in the return regressions (defined in Table 3) used to allocate firms to high and low predicted return portfolios are:

- 1 $\ln B_t/M_t, \ln MC_t$
- 2 $\ln B_t/M_t, \ln MC_t, \text{Neg } Y_t, Y_t/B_t, dA_t/A_t$
- 3 $\ln B_t/M_t, \ln MC_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t$
- 4 $\ln B_t/M_t, \ln MC_t, OH_t, PT_t$
- 5 $\ln B_t/M_t, \ln MC_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t, OH_t, PT_t$
- 6 $\ln B_t/M_t, \ln MC_t, F(Y_{t+1}/B_t), F(dA_{t+1}/A_t)$
- 7 $\ln B_t/M_t, \ln MC_t, F(Y_{t+1}/B_t), F(dA_{t+1}/A_t)$

Regressions 1-5 use lagged profitability, asset growth, accruals, OH_t , and PT_t as proxies for expected profitability and asset growth. Regressions 6 and 7 use $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$, the fitted values from the profitability and asset growth regressions of Table 2 for forecasts 1 year ahead, as proxies for expected profitability and asset growth. In Regression 6, $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$ use $\ln B_t/M_t, \ln MC_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t, \text{No } D_t,$ and D_t/B_t as explanatory variables. Regression 7 adds $1Y_{r_t}, 2-3Y_{r_t}, OH_t, PT_t,$ and I_t/B_t to the variables used to construct $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$. Return spreads computed using regressions 1-3 and 6 are for July 1963 to December 2004, the spreads computed using regressions 4 and 5 start in July 1972, and those computed using regressions 7 start in July 1977.

	Average Predicted Spread		Average Actual Spread		t(Average Actual Spread)	
	EW	VW	EW	VW	EW	VW
1	0.42	0.49	0.52	0.43	4.66	3.42
2	0.51	0.52	0.58	0.48	5.16	3.71
3	0.54	0.54	0.67	0.50	6.49	4.16
4	0.48	0.52	0.55	0.42	4.56	3.16
5	0.57	0.52	0.65	0.49	5.50	3.58
6	0.43	0.50	0.53	0.47	4.60	3.72
7	0.29	0.36	0.36	0.32	2.98	2.21

Table 5 – Predicted and actual average high minus low return spreads for six size-B/M groups

In June of each year, the NYSE, AMEX, and Nasdaq firms in our sample are allocated to two size groups, small (S) and big (B), according to whether their market cap is below or above the NYSE median. Firms are also allocated to three book-to-market groups depending on whether their B_t/M_t is in the bottom 30% (L), middle 40% (M), or top 30% (H) of B_t/M_t for NYSE firms. Intersecting the size and B_t/M_t groups produces six portfolios, SL, SM, SH, BL, BM, and BH. Each month the fitted values, computed using the average monthly slopes for the full sample period from the return regressions in Table 3, are used to allocate stocks in each of the six size- B_t/M_t groups to high and low predicted return portfolios based on whether their regression fitted values for the month are above or below their group's median. For each return regression in Table 3 and for each of the six size- B_t/M_t groups, the table shows the average predicted and actual differences between the equal-weight average high and low returns. The table also shows time series averages of simple monthly averages (Ave) of the six value-weight return spreads.

The explanatory variables in the return regressions (defined in Table 3) used to allocate firms to high and low predicted return portfolios are:

- | | |
|--|--|
| 1 $\ln B_t/M_t, \ln M_t$ | 5 $\ln B_t/M_t, \ln M_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t, OH_t, PT_t$ |
| 2 $\ln B_t/M_t, \ln M_t, \text{Neg } Y_t, Y_t/B_t, dA_t/A_t$ | 6 $\ln B_t/M_t, \ln M_t, F(Y_{t+1}/B_t), F(dA_{t+1}/A_t)$ |
| 3 $\ln B_t/M_t, \ln M_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t$ | 7 $\ln B_t/M_t, \ln M_t, F(Y_{t+1}/B_t), F(dA_{t+1}/A_t)$ |
| 4 $\ln B_t/M_t, \ln M_t, OH_t, PT_t$ | |

Regressions 1-5 use lagged profitability, asset growth, accruals, OH_t , and PT_t as proxies for expected profitability and asset growth. Regressions 6 and 7 use $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$, the fitted values from the profitability and asset growth regressions of Table 2 for forecasts 1 year ahead, as proxies for expected profitability and asset growth. In Regression 6, $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$ use $\ln B_t/M_t, \ln M_t, \text{Neg } Y_t, Y_t/B_t, -AC_t/B_t, +AC_t/B_t, dA_t/A_t, \text{No } D_t, \text{ and } D_t/B_t$ as explanatory variables. Regression 7 adds $1Y_{t-1}, 2-3Y_{t-1}, OH_t, PT_t, \text{ and } I_t/B_t$ to the variables used to construct $F(Y_{t+1}/B_t)$ and $F(A_{t+1}/A_t)$. Return spreads computed using regressions 1-3 and 6 are for July 1963 to December 2004, the spreads computed using regressions 4 and 5 start in July 1972, and those computed using regressions 7 start in July 1977.

	SL	SM	SH	BL	BM	BH	Ave	SL	SM	SH	BL	BM	BH	Ave
Average spread in expected returns														
1	0.19	0.11	0.21	0.25	0.11	0.13	0.17							
2	0.44	0.23	0.26	0.36	0.19	0.19	0.28							
3	0.48	0.34	0.35	0.39	0.25	0.22	0.34							
4	0.33	0.24	0.30	0.34	0.21	0.22	0.27							
5	0.51	0.37	0.39	0.42	0.27	0.26	0.37							
6	0.28	0.19	0.24	0.29	0.18	0.18	0.23							
7	0.23	0.17	0.19	0.21	0.16	0.15	0.18							
Average spread in actual returns							t-statistics for average spread in actual returns							
1	0.33	0.06	0.24	0.18	0.15	0.18	0.19	3.41	0.66	2.50	1.72	2.11	1.94	3.93
2	0.60	0.31	0.34	0.34	0.23	0.25	0.35	4.50	4.04	3.75	2.47	3.19	3.03	5.89
3	0.86	0.34	0.39	0.39	0.26	0.25	0.42	6.57	4.41	5.05	3.09	3.88	2.86	7.30
4	0.45	0.25	0.37	0.22	0.14	0.32	0.29	3.37	3.04	4.71	2.00	1.86	3.00	5.27
5	0.83	0.44	0.47	0.35	0.14	0.24	0.41	5.82	4.94	5.82	2.42	1.85	2.19	6.12
6	0.49	0.08	0.28	0.26	0.26	0.23	0.27	3.15	0.84	3.42	1.84	3.27	2.41	3.63
7	0.34	0.24	0.17	0.25	0.18	0.12	0.22	1.83	2.05	1.43	1.94	1.82	0.99	2.64